References

CHEATHAM, T. E., Jr., and SATTLEY, K. (1964). Syntax-Directed Compiling, presented at the Spring Joint Computer Conference April 21–23, 1964. (Computer Associates document #CA-64-1-R.)

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IRONS, E. T. (1961). A Syntax-Directed Compiler for ALGOL 60, Communications of the ACM, Vol. 4, pp. 51-55.

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Errata

'Seasonal adjustment and forecasting in the presence of a trend', by R. W. Hiorns.

The ALGOL procedure presented at the end of the above paper, which appeared in Vol. 10, p. 143, is incorrect. The correct procedure is as follows.

procedure season (y, m, f, n, N, a, e, w, P1, P2, pred, pe); value y, m, f, n, N, P1, P2; array y, f, a, e, pred, pe;

integer array n; integer m, N, P1, P2; real w;

comment This procedure calculates, simultaneously, estimates of seasonal and trend constants by multiple linear regression and provides forecasts and errors for a specified period. The model used has the demand variable represented by a trend component, seasonal component and random component combined additively. The trend term is assumed to consist of a single function whose values are supplied to the procedure in an array f[1:N] where N is the number of observed values of the demand variable, also supplied, in an array y[1:N]. These values correspond to consecutive time periods, there being m seasons in a year, represented by m seasonal constants, but N need not be a multiple of m. N must satisfy $N \geqslant m+2$. The number of observed values for each season must be supplied in the array n[1:m].

Estimates are left by the procedure as follows: the trend constant in a[0] and the m seasonal constants in the remainder of the array a[0:m]. Standard errors for the constants are in the array e[0:m]. The residual variance estimate is in w.

Forecasts (or predictions) are made for consecutive time periods from P1 to P2. These are left in pred[P1:P2] and their standard errors in pe[P1:P2].

It should be noted that if the values of P1 and P2 do not both lie within the range 1 to N, then the array f will require new bounds, the lesser of 1 and P1 and the greater of N and P2, respectively. In any case, values must be supplied to the whole of the array f before activation;

```
begin integer i, j, k; real F, YF, p, q; array T, Y[1:m]; YF:=F:=p:=q:=0;
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```
for i := 1 step 1 until m do
      begin
      k := i; T[i] := Y[i] := 0;
      for j := 1 step 1 until n[i] do
        begin
        F := F + f[k] \uparrow 2; T[i] := T[i] + f[k];
        Y[i] := Y[i] + y[k]; YF := YF + y[k] \times f[k];
        k := k + m
        end;
     p := p - T[i] \uparrow 2/n[i]; q := q - T[i] \times Y[i]/n[i]
     end:
   p := p + F; q := q + YF;
estimates:
  a[0] := q/p;
  for i := 1 step 1 until m do
  a[i]:=(Y[i]-a[0]\times T[i])/n[i];
sumsquares:
   w := 0;
  for i := 1 step 1 until m do
     begin
     k := i;
     for j := 1 step 1 until n[i] do
        w := w + (y[k] - a[i] - a[0] \times f[k]) \uparrow 2; k := k + m
        end
     end;
  w := w/(N-m-1); e[0] := sqrt(w/p);
  for i := 1 step 1 until m do
  e[i] := sqrt((1+T[i] \uparrow 2/(p \times n[i]))/n[i] \times w);
predictions:
  for k := P1 step 1 until P2 do
     begin
     i:=k-m\times((k-1)\div m);
     if i \le 0 then i := i + m;
     pred[k] := a[i] + a[0] \times f[k];
     pe[k] := w \times (1/n[i] + (T[i]/n[i] - f[k]) \uparrow 2/p);
     pe[k] := sqrt (pe[k])
     end
  end of season
```