so

$$\operatorname{var}(n) = \mu'_{1}(n) - 4\sum_{i=2}^{n+1} i^{-2}$$

For large n, $\mu_1(n) \sim 2(\gamma - 1 + \ln(n + 1))$ where γ is Euler's constant

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Data Transmission Handbook

The Data Transmission Handbook 1964, produced by the Data Transmission Committee of The British Computer Society, will be sent free to members early in 1965.

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$$var(n) \sim 2(\gamma - 1 + \ln(n + 1)) - 4\left(\frac{\pi^2}{6} - 1\right)$$

that
 $\mu_1(n) \sim \ln(n + 1)^2 - 0.845...,$
 $var(n) \sim \ln(n + 1)^2 - 3.425...$